

# Non-thermal electron rate at loop-top and foot-point sources of solar flares: implications for electron acceleration

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X-ray flare images: Yohkoh and RHESSI

Thermal coronal source:  $E < \sim 10\text{keV}$

Non-thermal chromospheric sources (foot-points):  $E > 20\text{keV}$

Non-thermal coronal source  $E > \sim 20\text{keV}$

Many authors investigated the photons intensity and/or spectral index of loop-top and foot-point sources.

Some examples:

Petrosian et al. (2002): 18 Yohkoh events

Battaglia & Benz (2006): 5 RHESSI events

Tomczak & Ciborski (2007): 117 Yohkoh events

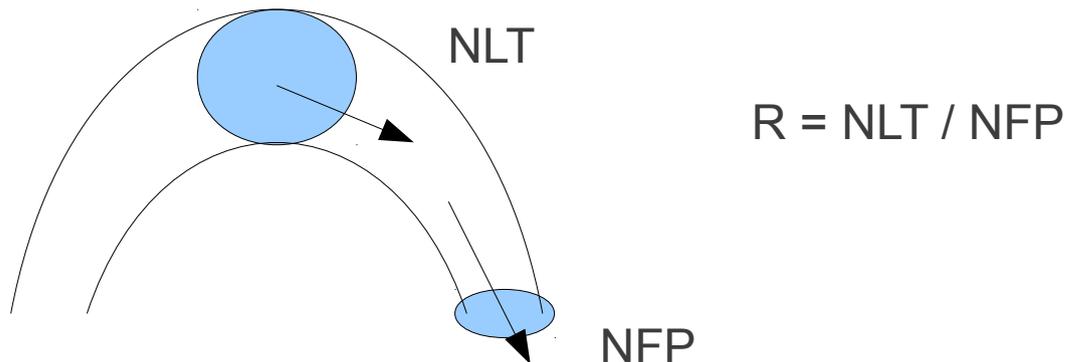
Differences and evolution of photons counts and spectral index of the sources

So far, no estimative of the **number** of electrons at the non-thermal loop-top source were attempted.

Ideally, one could infer the electron rate the the loop-top and foot-points and verify how these values change over time.

With RHESSI, we can try to estimate the electron rate integrating over a long time (entire impulsive phase): counts needed.

Assuming that the acceleration region is small (point):  
Electron rate at LT is due to trapped + precipitating population  
Electron rate at FP is due to precipitating population



$R=1$  traditional thick-target model (beam streaming down towards foot-points)

$R>1$  partial trapping (magnetic trap, pitch-angle scattering)

$R<1$  “then we have a problem” (Marina Battaglia, last week)

1. Select flares with a spatially resolved non-thermal loop-top source
2. Imaging spectroscopy: modeling thin (LT) and thick-target (FP) sources
3. Measure source sizes
4. Calculate the electron rate
5. Discuss the implications of the results

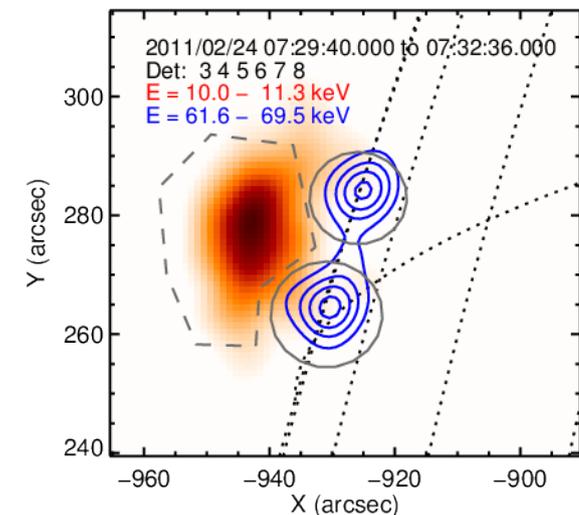
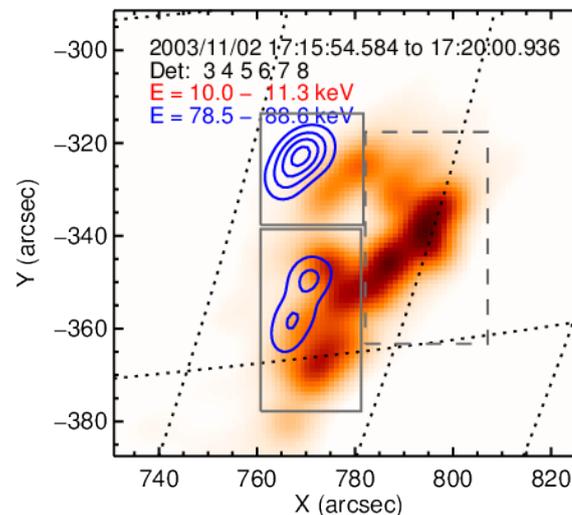
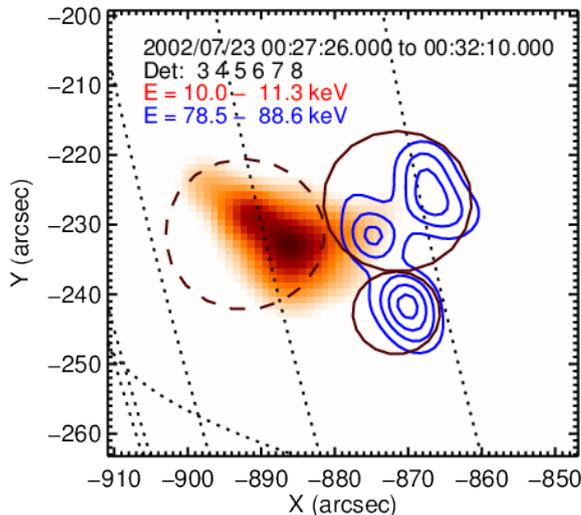
Events with resolved loop structure (loop-top and foot-point sources)

No overlapping of the sources

Strong events: enough counts for imaging spectroscopy

Non-thermal loop-top source resolved.

Flare	A	B	C	D
Date	2002-07-23	2003-11-02	2011-02-24	2011-09-24
Time	00:27:26	17:15:54	07:29:40	09:35:53
$\Delta t$ [s]	284	246	176	82
GOES	X8.3	X4.8	M3.5	~X1.9



## CLEAN images

- detectors 3 to 8
- 19 energy bins 10-100keV (log-spaced)

clean\_beam\_width: visibility forward-fitting of foot-points

## Imaging spectroscopy:

Foot-points: thermal + thick-target

Loop-top: thermal + thin-target

Non-thermal models set as single power-law with fixed energy range ( $E_{\min}=20\text{keV}$ )

## Results:

### Thick-target

Electron spectral index and integrated electron rate (NFP electrons/s)

### Thin-target

Electron spectral index and the product  $\langle nV\bar{F} \rangle$  (electrons /cm<sup>2</sup>/s)

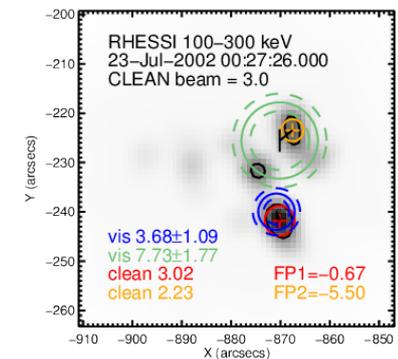
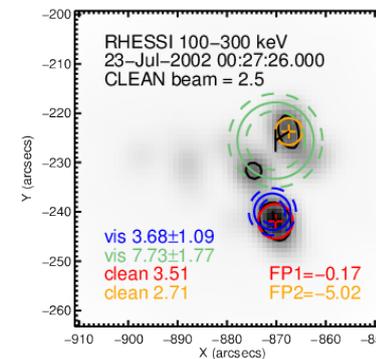
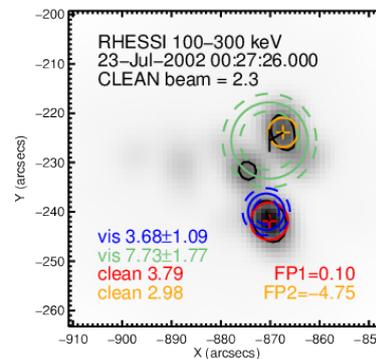
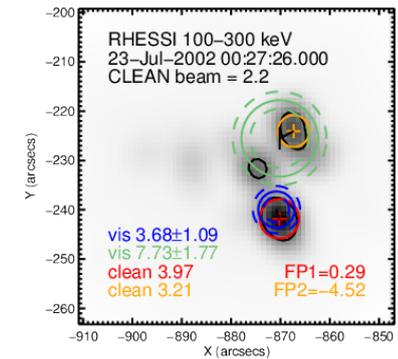
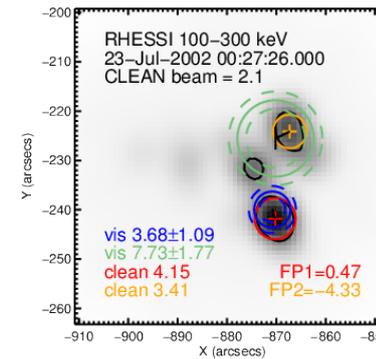
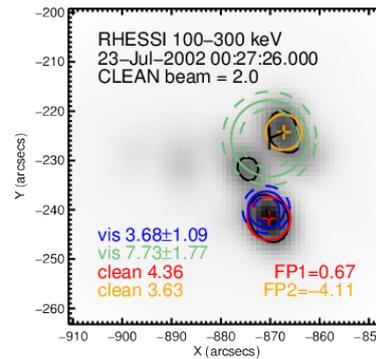
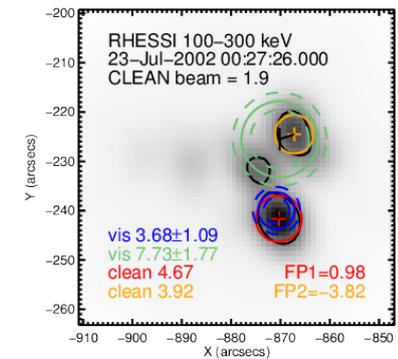
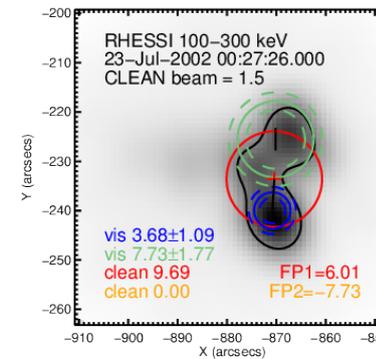
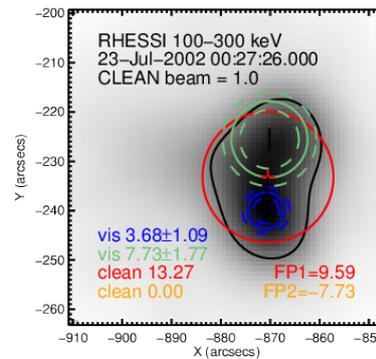
Calculate electron rate at looptop (need plasma density  $n$  and source size  $L$ )

$$\dot{N}_{LT} = \frac{\langle nV\bar{F} \rangle}{nV} S = \frac{\langle nV\bar{F} \rangle}{nL},$$

Comparing CLEAN and  
visibility forward fitting:  
footpoint size

2002 July 23

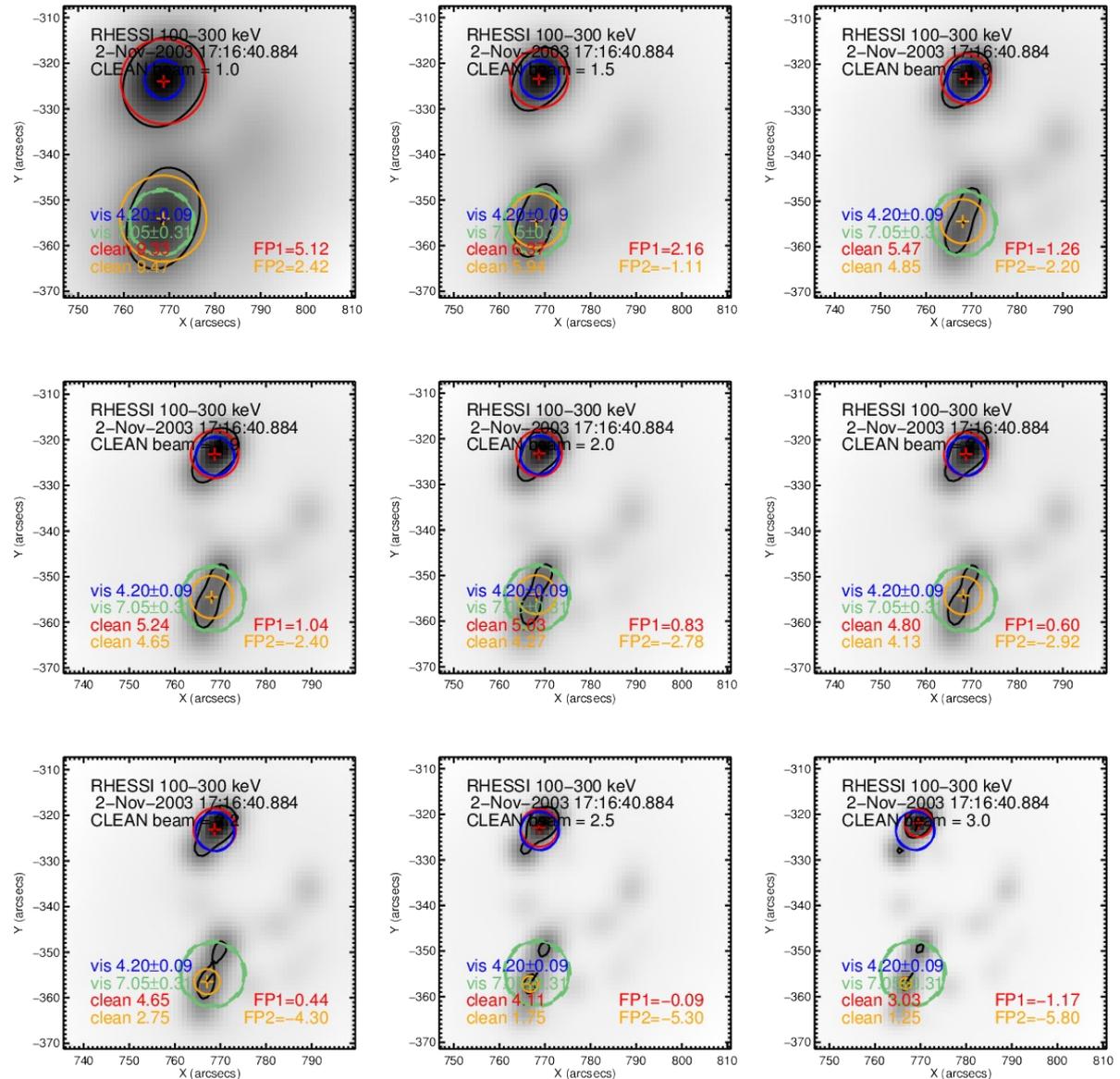
Beam width factor = 2.3



# Finding CLEAN beam width factor

2003 November 02

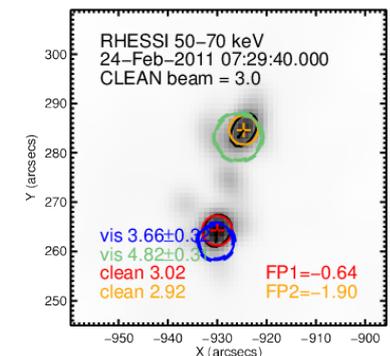
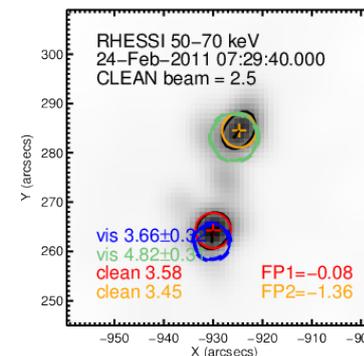
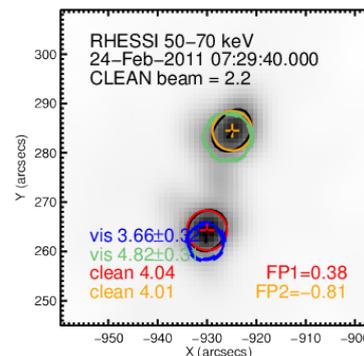
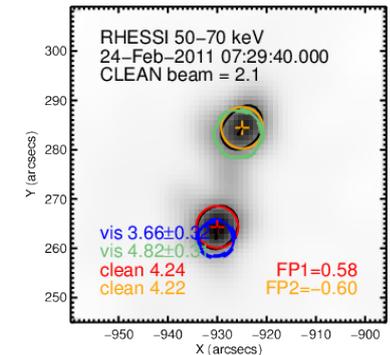
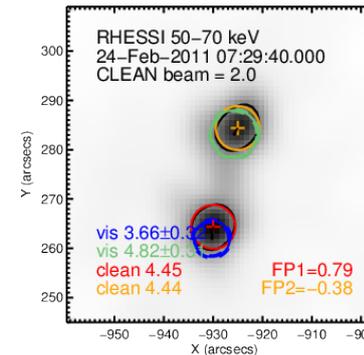
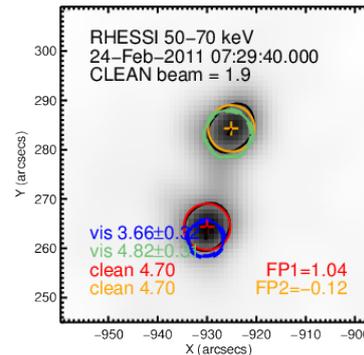
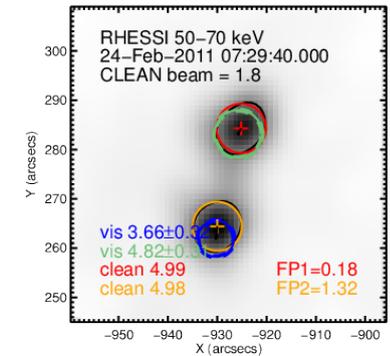
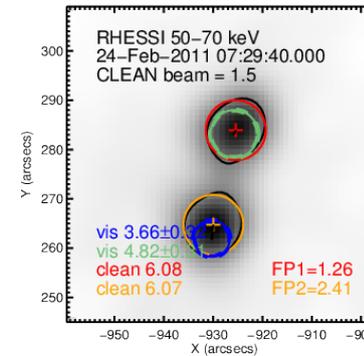
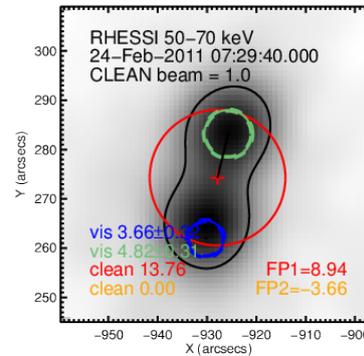
Beam width factor = 2.0



# Finding CLEAN beam width factor

2011 February 24

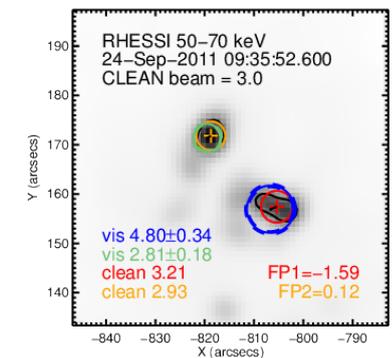
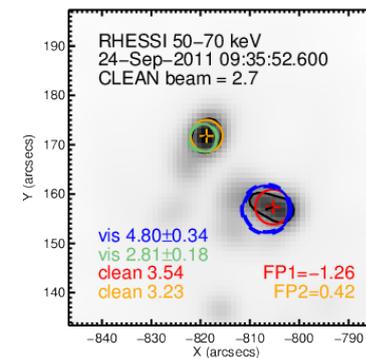
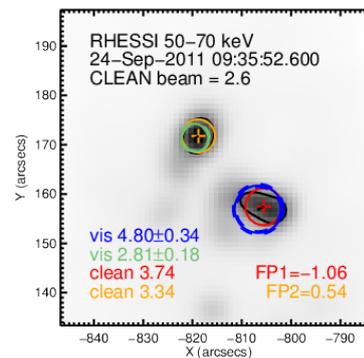
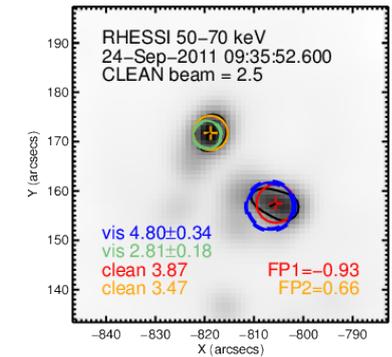
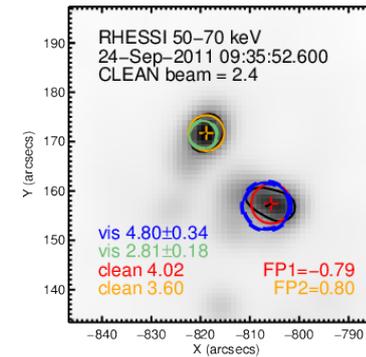
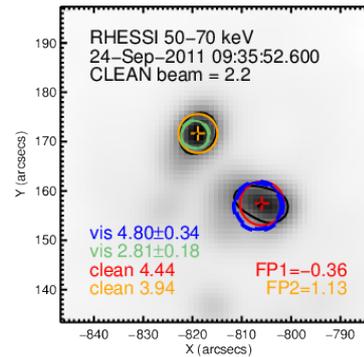
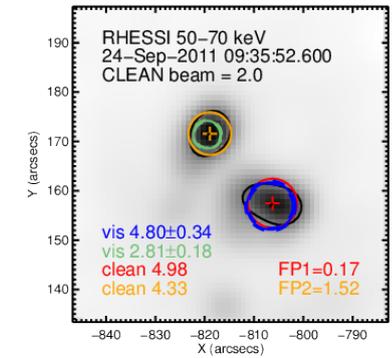
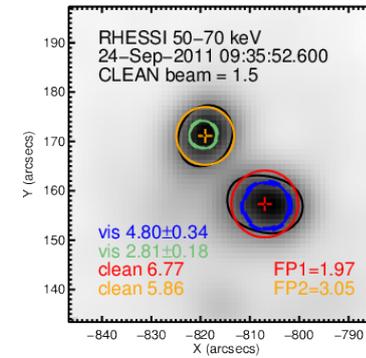
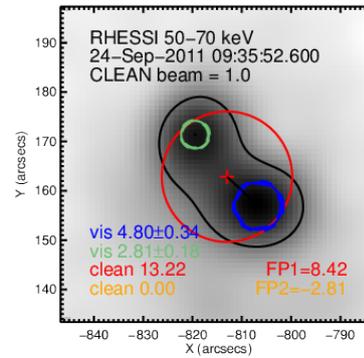
Beam width factor = 1.9

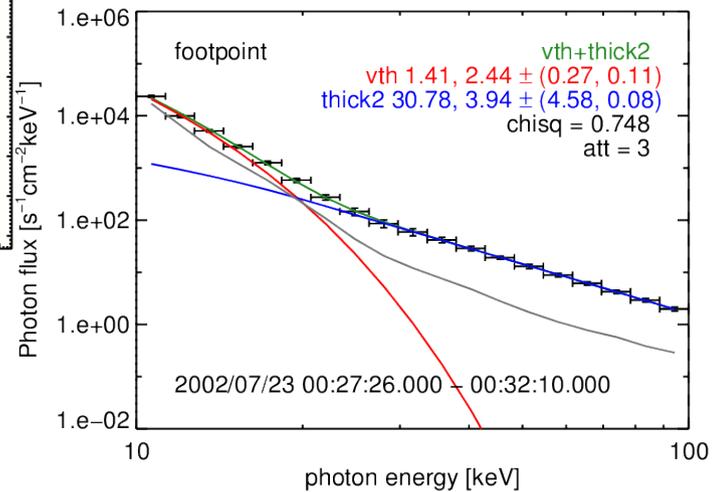
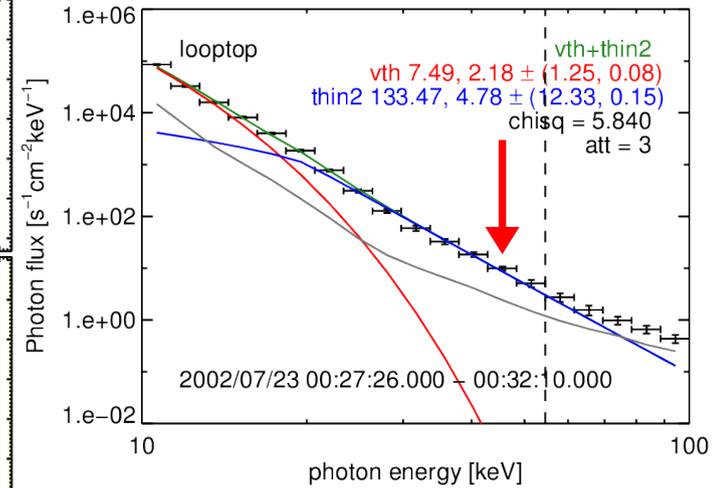
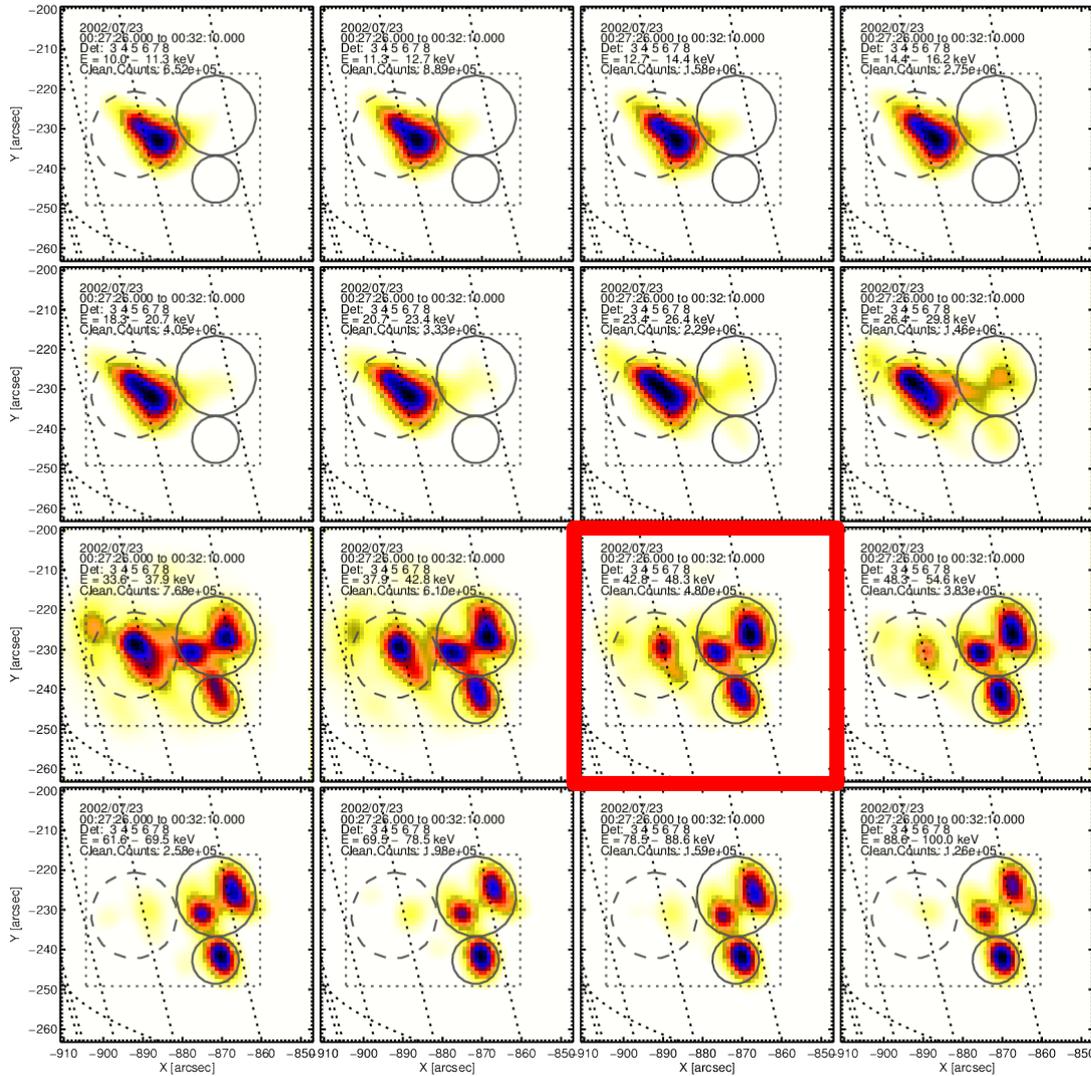


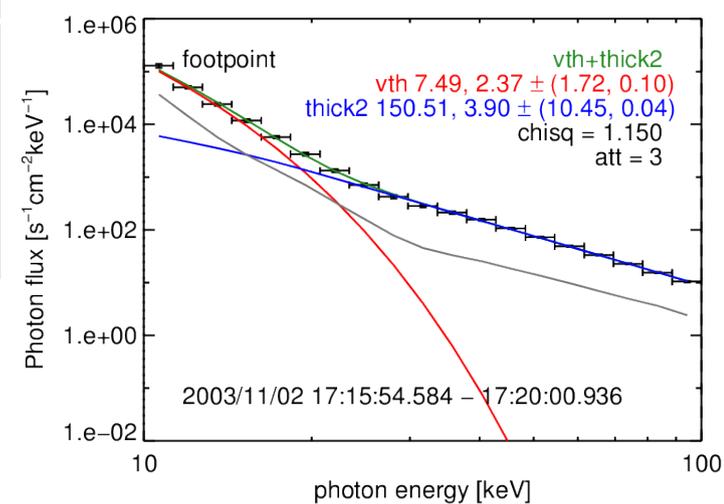
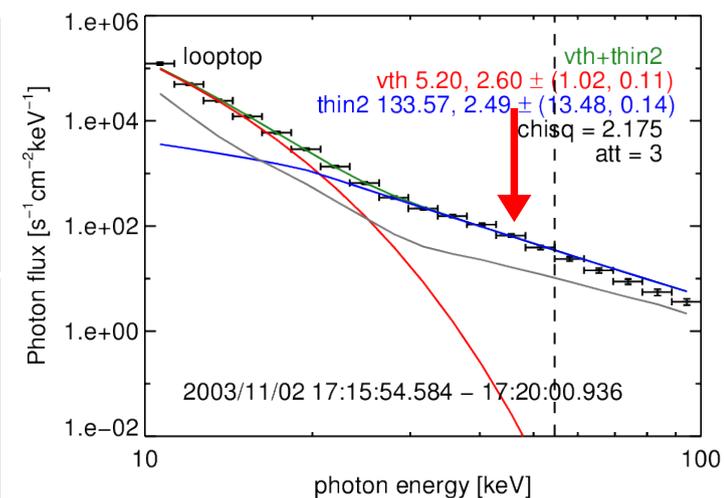
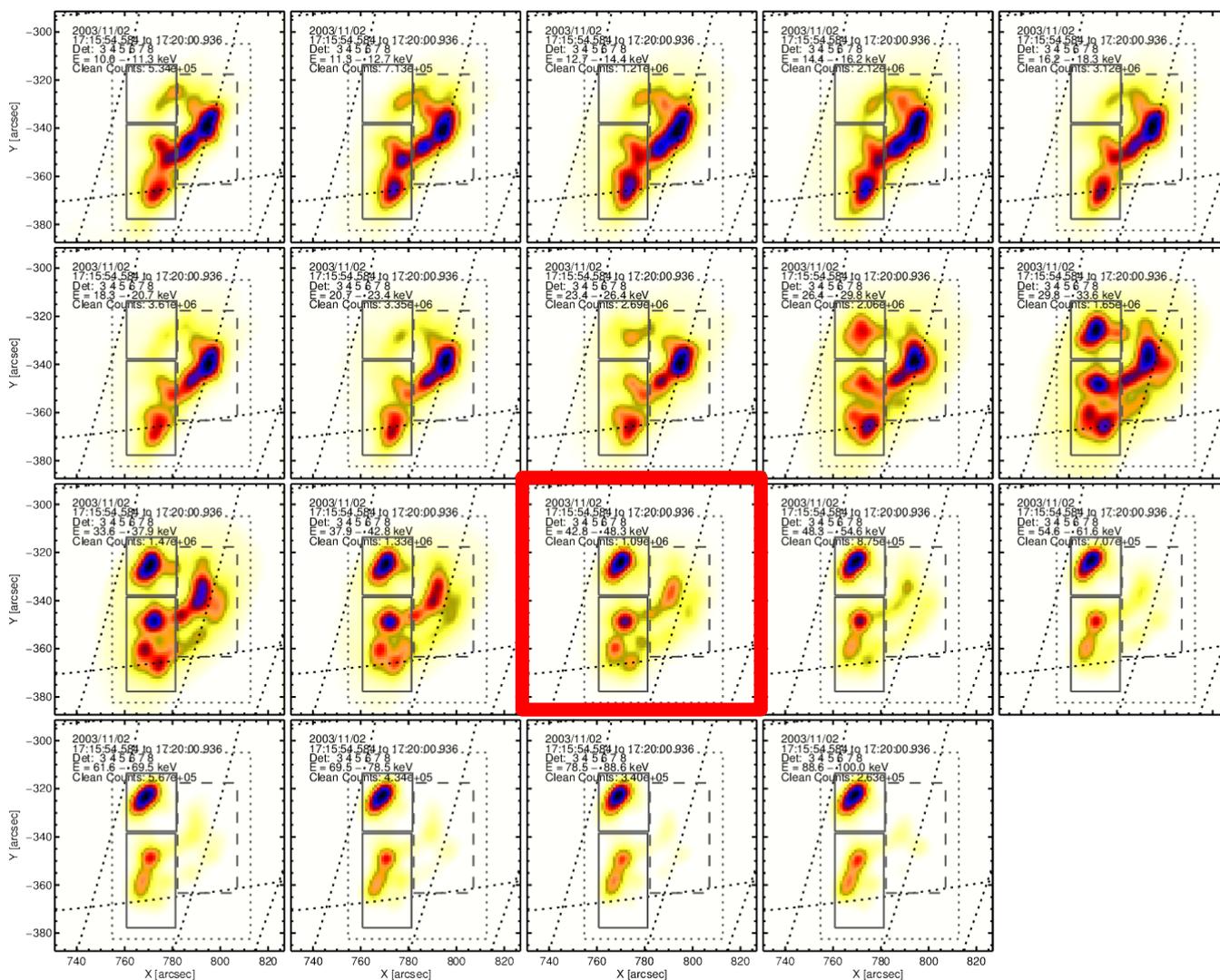
# Finding CLEAN beam width factor

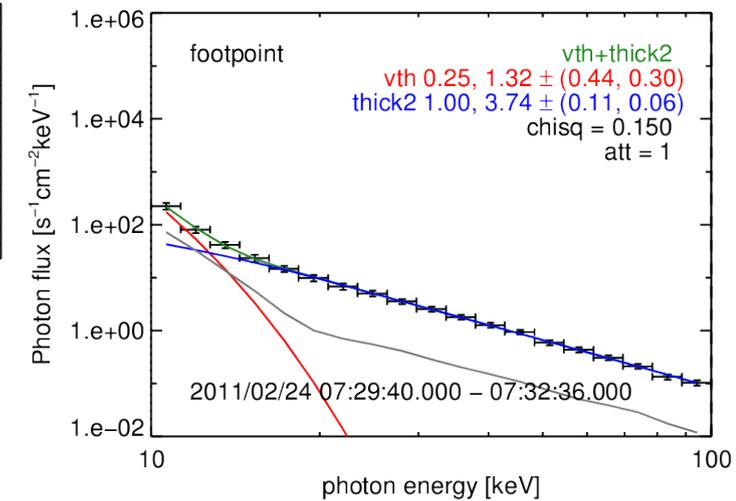
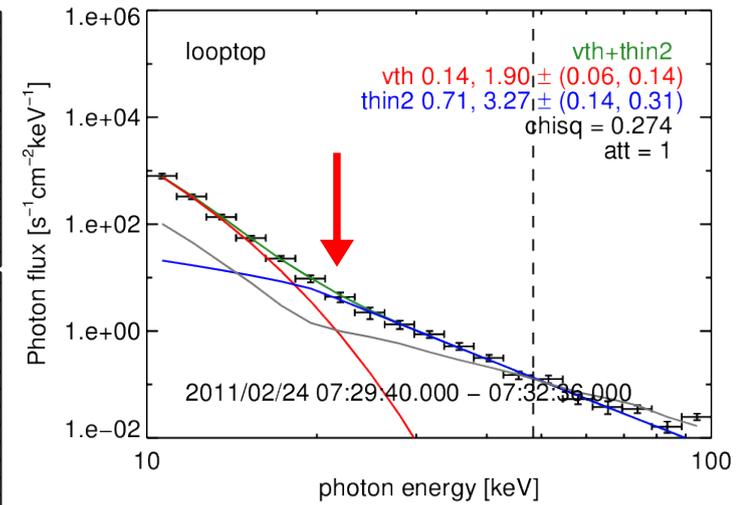
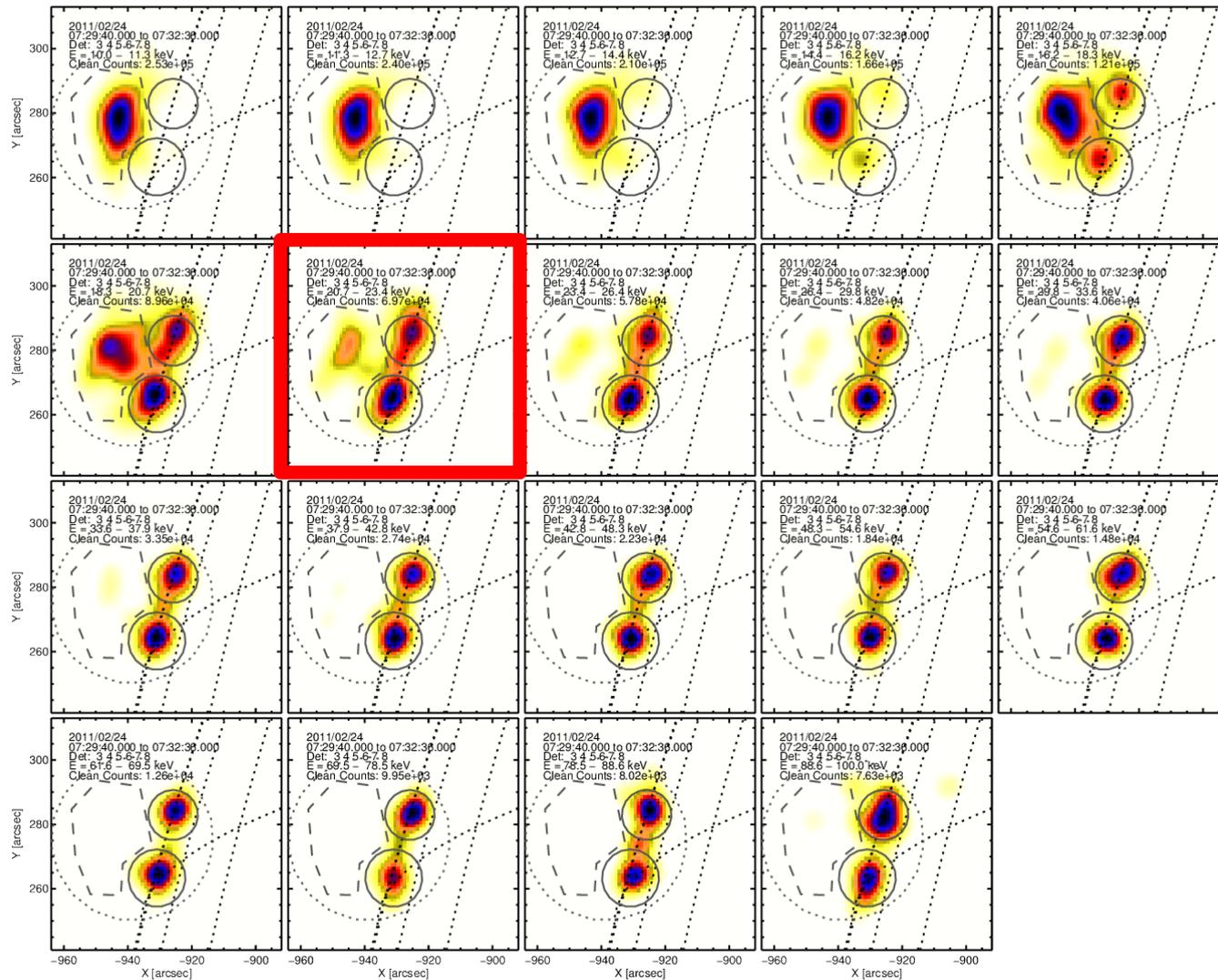
2011 September 24

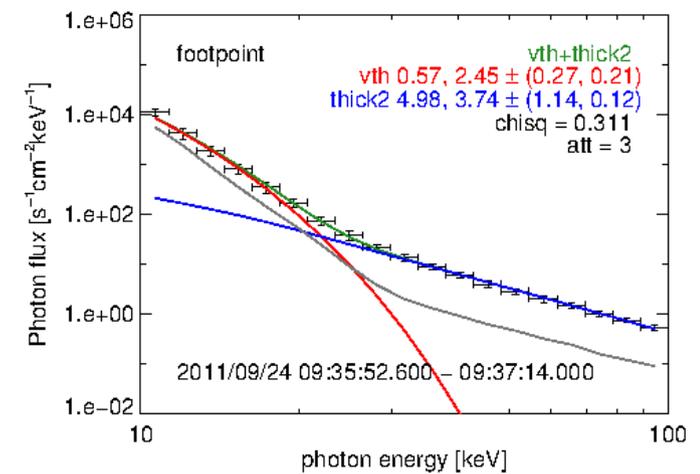
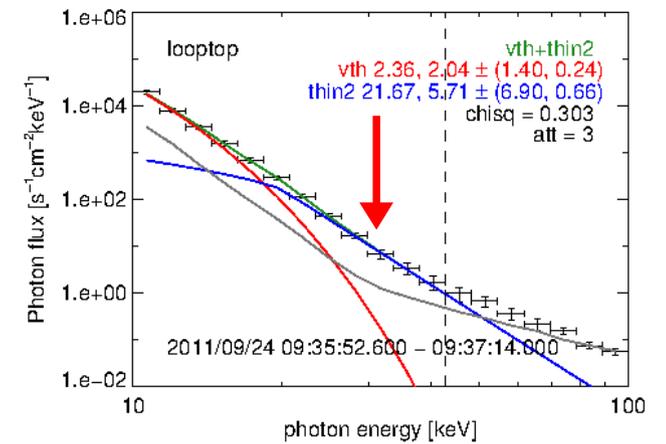
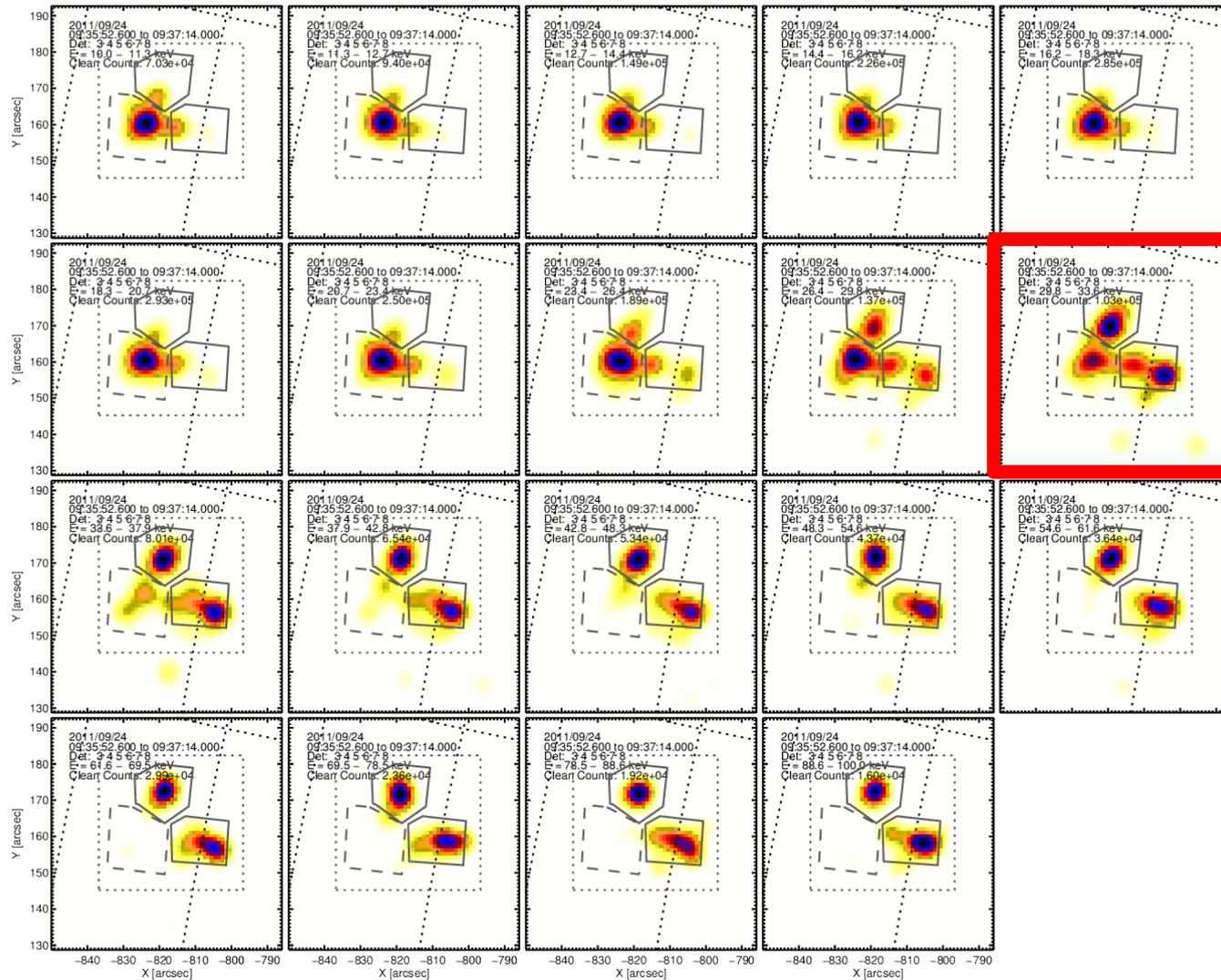
Beam width factor = 2.4











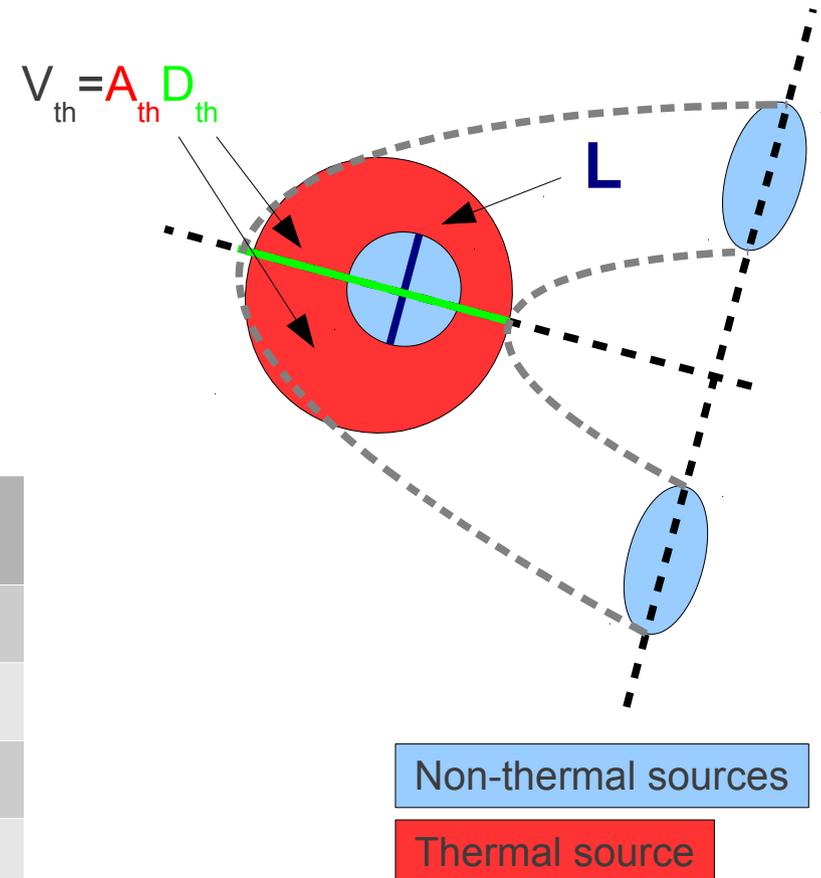
$$\dot{N}_{LT} = \frac{\langle nV\bar{F} \rangle}{nV} S = \frac{\langle nV\bar{F} \rangle}{nL},$$

Plasma density

$$EM = n^2 V_{th},$$

$$V_{th} = A_{th} D_{th},$$

	Flare	2002-07-23	2003-11-02	2011-02-24	2011-09-24
$A_{th}$	$10^{18} \text{cm}^{-2}$	0.57	2.24	0.91	0.34
$D_{th}$	$10^8 \text{cm}$	9.7	11.5	8.5	6.0
$V_{th}$	$10^{27} \text{cm}^3$	0.55	2.57	0.78	0.20
L	$10^8 \text{cm}$	5.18	4.26	8.30	4.7
n	$10^{10} \text{cm}^{-3}$	26	13	6	24



Flare	2002-07-23	2003-11-02	2011-02-24	2011-09-24
NLT	99.3 ± 14.4	248.2 ± 47.0	1.6 ± 0.4	19.2 ± 6.8
NFP	30.8 ± 4.6	150.5 ± 10.5	1.0 ± 0.1	5.0 ± 1.1
<b>R</b>	<b>3.2 ± 0.7</b>	<b>1.6 ± 0.3</b>	<b>1.5 ± 0.4</b>	<b>3.8 ± 1.6</b>
Uncert.	22%	19%	27%	42%

NLT, NFP in electrons/s

## R > 1

Partial trapping of electrons:  
magnetic trapping, pitch-angle scattering (collisions and/or waves)

Note:

- size of acceleration region unknown;
- pitch-angle distribution unknown;
- magnetic mirror ratio unknown.

R=1

~~Traditional thick-target model~~

R<1

~~“we have a problem”~~

## Collisionless magnetic trapping

$$I = T + P$$

$$T = \xi I$$

$$P = (1 - \xi)I$$

$$\dot{N}_{FP} = P$$

$$\dot{N}_{LT} = P + T$$

$$R = \frac{\dot{N}_{LT}}{\dot{N}_{FP}} = \frac{1}{1 - \xi}$$

$$\xi = 1 - \frac{1}{R}$$

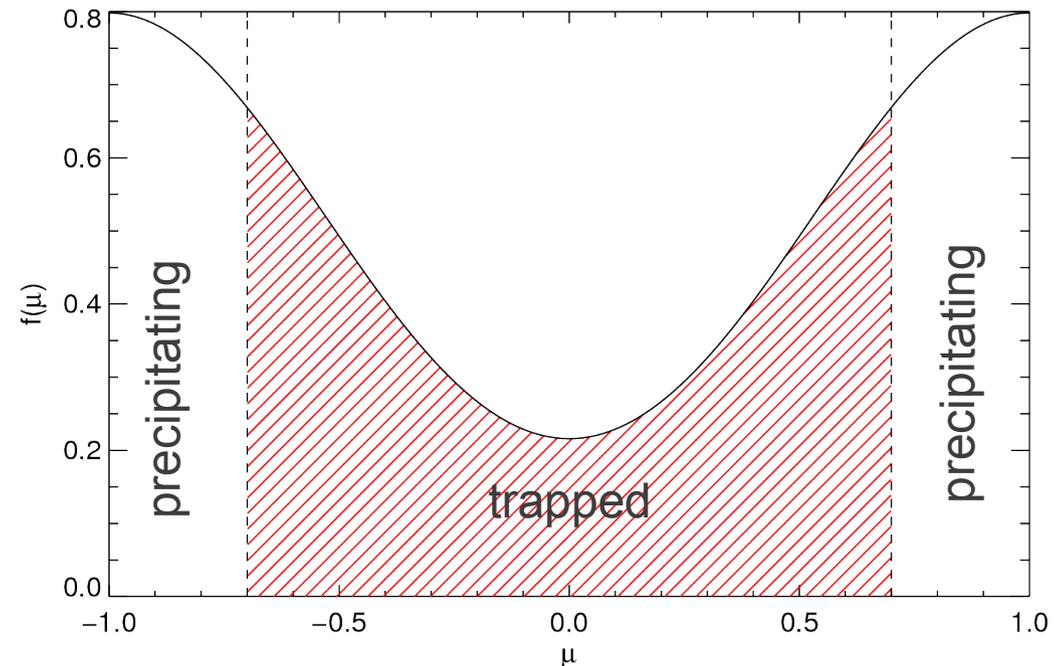
$$\frac{T}{I} = \xi = \frac{\int_{-\mu_0}^{\mu_0} f(\mu) d\mu}{\int_{-1}^1 f(\mu) d\mu}$$

$$\frac{P}{I} = 1 - \xi = \frac{\int_{-1}^{-\mu_0} f(\mu) d\mu + \int_{\mu_0}^1 f(\mu) d\mu}{\int_{-1}^1 f(\mu) d\mu}$$

2 pitch-angle distributions:

Isotropic

Narrow beam along magnetic field



Flare	2002-07-23	2003-11-02	2011-02-24
$\xi$	0.69	0.38	0.33
$\sigma$ (iso)	1.9	1.2	1.1
$\sigma$ (beam)	25	11	10



University  
of Glasgow

Pileup:

2 photons at  $E$  arriving at the same time are counted as one event with  $2 \cdot E$ .

Spatially integrated spectra:  
correcting pileup gives a difference of 24%, 15% and 1.6% in NFP, for the 3 flares, respectively.

2 X-class flares, 1 M-class flare.

No pileup correction for images.

In our analysis, other uncertainties reach  $\sim 20\%$  -  $27\%$ , and still  $R > 1$ .

