



Claiming the detection of transient gravitational waves

Chris Messenger - University of Glasgow

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Outline

- Detection rates
- The problem of detection
- Background estimation
- Significance
- Ongoing work



Detection rates

| | Estimated | | | Number | % BNS | Localized | |
|--|---------------------|---------------------------------|--------------------------------|----------------------------------|---------------------------------|--------------------|--|
| | Run | BNS Range (Mpc) | | of BNS | within | | |
| Epoch | Duration | LIGO | Virgo | Detections | $5{ m deg}^2$ | $20\mathrm{deg}^2$ | |
| 2015 | 3 months | 40 - 80 | - | 0.0004 - 3 | — | _ | |
| 2016 - 17 | 6 months | 80 - 120 | 20 - 60 | 0.006 - 20 | 2 | 5 - 12 | |
| 2017 - 18 | 9 months | 120 - 170 | 60 - 85 | 0.04 - 100 | 1 - 2 | 10 - 12 | |
| 2019 + | (per year) | 200 | 65 - 130 | 0.2 - 200 | 3-8 | 8-28 | dataction |
| 2022 + (India) | (per year) | 200 | 130 | 0.4 - 400 | 17 | 48 | detection |
| Table 5. Detection rates for compact binary coalescence sources. | | | | | | | ruled out in |
| IFO | Source ^a | $\dot{N}_{ m low}~{ m yr}^{-1}$ | $\dot{N}_{ m re}~{ m yr}^{-1}$ | $\dot{N}_{ m high}~{ m yr}^{-1}$ | $\dot{N}_{ m max}~{ m yr}^{-1}$ | | 2015 |
| | NS-NS | 2×10^{-4} | 0.02 | 0.2 | 0.6 | | |
| | NS–BH | 7×10^{-5} | 0.004 | 0.1 | | | |
| Initial | BH–BH | 2×10^{-4} | 0.007 | 0.5 | | | |
| | IMRI into IMBH | | | <0.001 ^b | 0.01 ^c | | |
| | IMBH-IMBH | | | $10^{-4 d}$ | 10 ⁻³ e | | older paper with slightly different assumptions |
| Advanced | NS-NS | 0.4 | 40 | 400 | 1000 | | |
| | NS–BH | 0.2 | 10 | 300 | | | |
| | BH–BH | 0.4 | 20 | 1000 | | | |
| | IMRI into IMBH | | | 10 ^b | 300 ^c | | |
| | IMBH-IMBH | | | 0.1 ^d | 1 ^e | | |
| | | | | | | - | |

LIGO-Virgo Collaboration, arXiv:1304.0670 (2013)

LIGO-Virgo Collaboration, CQG 27, 173001 (2010)

The basic problem

- Imagine you have a box containing your search.
- It is sensitive to real signals
 AND noise events. You cannot shield the detector from real signals.
- Every time it detects an event it outputs the "loudness" and the time.
- If you don't know the rate/ probability of noise events then how do you detect real events?



Inside the box

- We do actually know what's in the box.
- We construct a filter that is tuned to output large numbers when our particular signal is present and low numbers otherwise.
- Usually run over a large bank of templates.
- This is matched-filtering with tweaks (signal based vetoes) for deviations from Gaussianity.



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More detectors

- Now we can start to use the signal properties to our advantage.
- Both detectors should be sensitive to the same signal but have different noise.
- So a **coincident** detection of similar loudness would indicate a signal.
- But there is still a chance that noise could conspire to trick us.



Background estimation

- What if we just offset the results of each detector by a fixed amount of time?
- Then there would be no chance that any coincident event could be considered a real signal!
- Any resulting coincidence would be representative of the noise, right?
- But what about contamination from signals? (the "Hamlet" issue).



Significance

- Our primary scheme for determining detection is to compare our loudest event(s) with the **estimated** background distribution.
- We then make claims based entirely on the consistency of our statistic with the background (estimate).
- If this significance is small enough (5-σ?) then we claim detection.





Big dog significance



significance is the ratio of the background (black/ grey) with the foreground (blue)

Hamlet : "to remove or not to remove? That is the question



• Ask a different question. What's the probability that this event came from an astrophysical distribution vs coming from the background?

$$B = \frac{\int d\vec{\theta} \, p(X|\vec{\theta}, \text{signal}) p(\vec{\theta}|\text{signal})}{p(X|\text{noise})}$$

Can also factor in what we think about detection prospects *prior* to the observation.

$$O = \frac{p(\text{signal})}{p(\text{noise})} \cdot \frac{\int d\vec{\theta} \, p(X|\vec{\theta}, \text{signal}) p(\vec{\theta}|\text{signal})}{p(X|\text{noise})}$$

 Would you equally value an SNR=8 event differently in the initial and advanced detector era?

Ongoing Work

- We are conducting 2 large mock-data challenges to test significance and astrophysical rates estimation.
- Significance resolving the removal vs nonremoval issue.
- Rates Testing biases, uncertainties and multiple detections.



Summary

- The advanced GW detector era is fast approaching and detections are anticipated.
- All detection criteria crucially hinge upon background estimation.
- Bayesian approaches could allow us to fold in event rate priors.
- We are in the process of testing our significance and rate estimation through extensive MDCs

https://dcc.ligo.org/LIGO-P1000146



Extra slides

Detection significance

- How do you determine the statistical significance of a GW event?
- We need to know/estimate the background noise distribution.
- But we can't turn off the foreground GW signals.
- Use a technique known as timeslides to estimate the background.



Time-slides. a) Simulated data from 2 detectors, b) detector 2 data is artificially slid in time with respect to detector 1.

A global network



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Advanced detectors



- Advanced detectors have an ~10 X improvement in sensitivity.
- This gives an ~1000 X improvement in volume and therefore event rate!
- The design sensitivity volume includes ~10 galaxy superclusters.

