







100 years of gravitational waves - history and discovery

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Outline

- Einstein & GR
- Chapel Hill 1957
- Gravitational wave properties
- Bar detectors
- The binary pulsar
- Interferometers
- Gravitational wave sources
- Advanced detectors
- Detection
- Final remarks



Disclaimer

There have been 1000's of scientists that have contributed to the 100 year effort to detect gravitational waves. I will only be able to mention a few of them.



Einstein & GR

The start of gravitational waves







692 Sitzung der physikalisch-mathematischen Klasse vom 22. Juni 1916

Hieraus erhält man mit Hilfe von (8) und (1) für die $g_{\mu\nu}$ die Werte

Diese Werte, welche sich von den von mir früher angegebenen nur vermöge der Wahl des Bezugssystems unterscheiden, wurden mir durch Hrn. DE SITTER brieflich mitgeteilt. Sie führten mich auf die im vorstehenden angegebene einfache Näherungslösung. Es ist aber wohl im Auge zu behalten, daß der hier benutzten Koordinatenwahl keine entsprechende im allgemeinen Falle zur Seite steht, indem die $\gamma_{\mu\nu}$ und $\gamma'_{\mu\nu}$ nicht beliebigen, sondern nur linearen, orthogonalen Substitutionen gegenüber Tensorcharakter besitzen.

§ 2. Ebene Gravitationswellen.

Aus den Gleichungen (6) und (9) folgt, daß sich Gravitationsfelder stets mit der Geschwindigkeit 1, d. h. mit Lichtgeschwindigkeit. fortpflanzen. Ebene, nach der positiven *x*-Achse fortschreitende Gravitationswellen sind daher durch den Ansatz zu finden

$$\gamma'_{\mu\nu} = \alpha_{\mu\nu} f(x_1 + i x_4) = \alpha_{\mu\nu} f(x - t) .$$
 (15)

Dabei sind die $\alpha_{\mu\nu}$ Konstante: f ist eine Funktion des Arguments x-t. Ist der betrachtete Raum frei von Materie, d. h. verschwinden die $T_{\mu\nu}$, so sind die Gleichungen (6) durch diesen Ansatz erfüllt. Die Gleichungen (4) liefern zwischen den $\alpha_{\mu\nu}$ die Beziehungen

$$\begin{array}{c} \alpha_{11} + i\alpha_{14} = 0 \\ \alpha_{12} + i\alpha_{24} = 0 \\ \alpha_{13} + i\alpha_{34} = 0 \\ \alpha_{14} + i\alpha_{44} = 0 \end{array} \right) .$$
 (16)

Von den 10 Konstanten $\alpha_{\mu\nu}$ sind daher nur 6 frei wählbar. Wir können die allgemeinste Welle der betrachteten Art daher aus Wellen von folgenden 6 Typen superponieren

$$64\pi^2 R^2 \left[\left(\begin{array}{c} 0 t^3 \end{array}\right) \right] \left(\begin{array}{c} 0 t^3 \end{array}\right) \left(\begin{array}{c} 0 t^3 \end{array}\right) \right]$$

Hieraus ergibt sich weiter, daß die mittlere Energiestrahlung nach allen Richtungen gegeben ist durch

$$\frac{\varkappa}{64\pi^2 R^2} \cdot \frac{2}{3} \sum_{\alpha\beta} \left(\frac{\partial^3 J_{\alpha\beta}}{\partial t^3} \right)^2.$$

wobei über alle 9 Kombinationen der Indizes 1—3 zu summieren ist. Denn dieser Ausdruck ist einerseits invariant gegenüber räumlichen Drehungen des Koordinatensystems, wie leicht aus dem (dreidimensionalen) Tensorcharakter von $J_{\alpha\beta}$ folgt; anderseits stimmt er im Falle radialer Symmetrie ($J_{11} = J_{22} = J_{33}$; $J_{23} = J_{31} = J_{12} = 0$) mit (20) überein. Man crhält aus ihm also die Ausstrahlung A des Systems pro Zeiteinheit durch Multiplikation mit $4\pi R^2$:

$$A = \frac{\kappa}{24\pi} \sum_{\alpha\beta} \left(\frac{\partial^3 J_{\alpha\beta}}{\partial t^3} \right)^2.$$
 (21)

Würde man die Zeit in Sekunden, die Energie in Erg messen, so würde zu diesem Ausdruck der Zahlenfaktor $\frac{1}{c^4}$ hinzutreten. Berücksichtigt man außerdem, daß $z = 1.87 \cdot 10^{-27}$, so sieht man, daß A in allen nur denkbaren Fällen einen praktisch verschwindenden Wert haben muß. "... in any case one can think of A having a practically vanishing value."



The Role of Gravitation in Physics

Report from the 1957 Chapel Hill Conference

Cécile M. DeWitt and Dean Rickles (eds.)

Communicated by Jürgen Renn, Alexander Blum and Peter Damerow

Edition Open Access 2011

Chapel Hill 1957

Is it a real thing?

Now the Newtonian equation corresponding to (14.2) is

$$\frac{\partial^2 \eta^a}{\partial \tau^2} + \frac{\partial^2 v}{\partial x^a \partial x^b} \eta^b = 0 \tag{14.3}$$

It is interesting that the empty-space field equations in the Newtonian and general relativity theories take the same form when one recognizes the correspondence $R^a_{0b0} \sim \frac{\partial^2 v}{\partial x^a \partial x^b}$ between equations (14.2) and (14.3), for the respective empty-space equations may be written $R^a_{0a0} = 0$ and $\frac{\partial^2 v}{\partial x^a \partial x^b} = 0$. (Details of this work are in the course of publication in *Acta Physica Polonica*.)

BONDI: Can one construct in this way an absorber for gravitational energy by inserting a $\frac{d\eta}{d\tau}$ term, to learn what part of the Riemann tensor would be the energy producing one, because it is that part that we want to isolate to study gravitational waves?

PIRANI: I have not put in an absorption term, but I have put in a "spring." You can invent a system with such a term quite easily.





GW properties

What do they do and how do you make them?



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 $h \approx \frac{\varphi_{\text{Newton}}}{c^2} \left(\frac{v}{c}\right)^2 = \frac{GM}{dc^2} \left(\frac{v}{c}\right)^2$





$h \sim 10^{-43}$



$h \sim 10^{-21}$



Bar detectors

Ringing like a bell





FIG. 2. Argonne National Laboratory and University of Maryland detector coincidence.



Glasgow University, Dept. of Natural Philosophy, J. Hough and R. Drever,20



The binary pulsar

An indirect detection







Interferometers

Using light as a ruler

Fig. V-20. Proposed antenna.

Initial LIGO Timeline

- 1983 Funded for design studies
- 1991 NSF grants funding for initial LIGO (MIT and Caltech project)
- 1994 Construction begins
- 1997 The LSC is formed (10s to >1000 scientists)
- 1999 LIGO is built
- 2001 The first Science run (S1)
- 2007 Design sensitivity achieved (S5)
- 2010 Enhanced LIGO (S6)

Virgo

LIGO Livingston LIGO Hanford

KAGRA

Data SIO, NOAA, U.S. Navy, NCA, Image Landsat Image IBCAO Image U.S. Geological Survey

A global collaboration

 We have over 1000 members spread across 5 continents and over 100 institutions.

Ocean

Gravitational wave sources

Pretty violent events

compact binary coalescence

burst

continuous

stochastic

38

Compact binary coalescence

Advanced Detectors

A 10 fold improvement

Advanced LIGO Timeline

- 2010 Decomissioning of initial LIGO
- Sep 2015 Jan 2016 The first observing run (O1)
- Nov 2016 Aug 2017 The second observing run (O2)
- late 2018 planned O3
- 2019+ Achieve design sensitivity

	Estimated	$E_{\rm GW} =$	$10^{-2} M_{\odot} c^2$			Number	% BNS	Localized	
	Run	Burst Ra	ange (Mpc)	BNS Rang	ge (Mpc)	of BNS	within		
Epoch	Duration	LIGO	Virgo	LIGO	Virgo	Detections	$5{ m deg}^2$	$20\mathrm{deg}^2$	
2015	3 months	40 - 60	—	40 - 80	_	0.0004 - 3	_	_	
2016-17	6 months	60 - 75	20 - 40	80 - 120	20 - 60	0.006 - 20	2	5 - 12	
2017-18	9 months	75 - 90	40 - 50	120 - 170	60 - 85	0.04 - 100	1 - 2	10 - 12	
2019 +	(per year)	105	40 - 80	200	65 - 130	0.2 - 200	3 - 8	8 - 28	
2022+ (India)	(per year)	105	80	200	130	0.4 - 400	17	48	

Detection

A binary black hole merger, and more

LIGO-Virgo Collaboration, PRL **116**, 061102 (2016)

Masses in the Stellar Graveyard

LIGO Hanford

LIGO Livingston

51

12:41:04 UTC

A gravitational wave from a binary neutron star merger is detected.

∖ Type
 Neutron star merger

gravitational wave signal

Two neutron stars, each the size of a city but with at least the mass of the sun, collided with each other.

gamma ray burst

A short gamma ray burst is an intense beam of gamma ray radiation which is produced just after the merger.

+ 2 seconds

A gamma ray burst is detected.

GW170817 allows us to measure the expansion rate of the universe directly using gravitational waves for the first time.

Detecting gravitational waves from a neutron star merger allows us to find out more about the structure of these unusual objects.

This multimessenger event provides confirmation that neutron star mergers can produce short gamma ray bursts.

The observation of a kilonova allowed us to show that neutron star mergers could be responsible for the production of most of the heavy elements, like gold, in the universe.

kilonova

Decaying neutron-rich material creates a glowing kilonova, producing heavy metals like gold and platinum.

radio remnant

As material moves away from the merger it produces a shockwave in the interstellar medium - the tenuous material between stars. This produces emission which can last for years.

+10 hours 52 minutes

A new bright source of optical light is detected in a galaxy called NGC 4993, in the constellation of Hydra.

+11 hours 36 minutes

Infrared emission observed.

+15 hours

Bright ultraviolet emission detected.

+9 days X-ray emission detected.

+16 days Radio emission detected.

Observing both electromagnetic and gravitational waves from the

Rainer Weiss Barry C. Barish Kip S. Thorne

"for decisive contributions to the LIGO detector and the observation of gravitational waves"

Final remarks

The promise of gravitational wave astronomy

LIGO-Virgo Collaboration, arXiv:1606.04856 (2016)

Thanks for your attention

More details on the detections on Friday morning

Nordic Conference on Particle Physics

Particle physics in the era of LHC
Recent theoretical advances
Gravity and gravitational waves
Dark Matter and Dark Sector
Physics at future accelerators
Particle physics in the era of Artificial Intelligence

